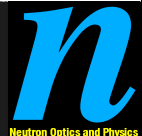


Cryogenics for Neutron Fundamental Physics

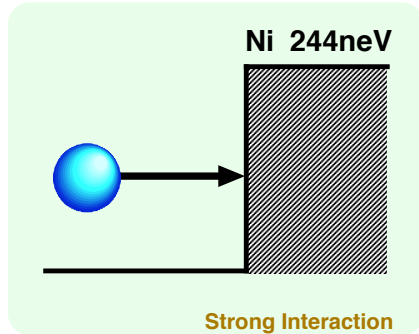
H.M.Shimizu
(for UCN-collaboration)
KEK
hirohiko.shimizu@kek.jp

Date(2009/03/24) by(H.M.Shimizu)
Title(Cryogenics for Neutron Fundamental Physics)
Conf(FJPPL: Sacle-y-KEK)

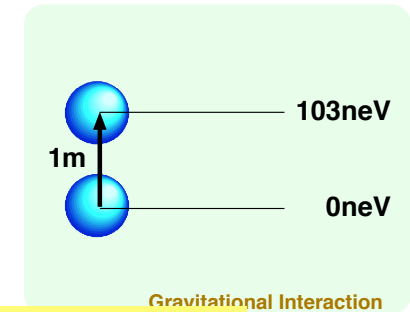
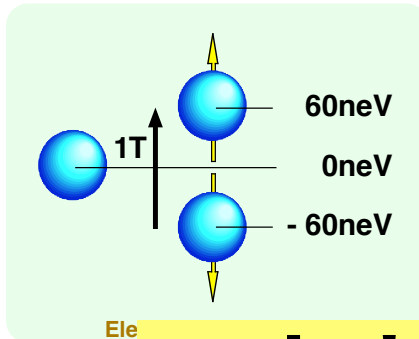
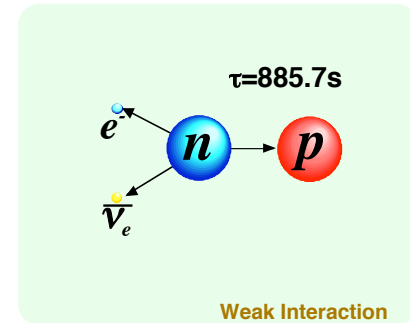
page 1



Neutron

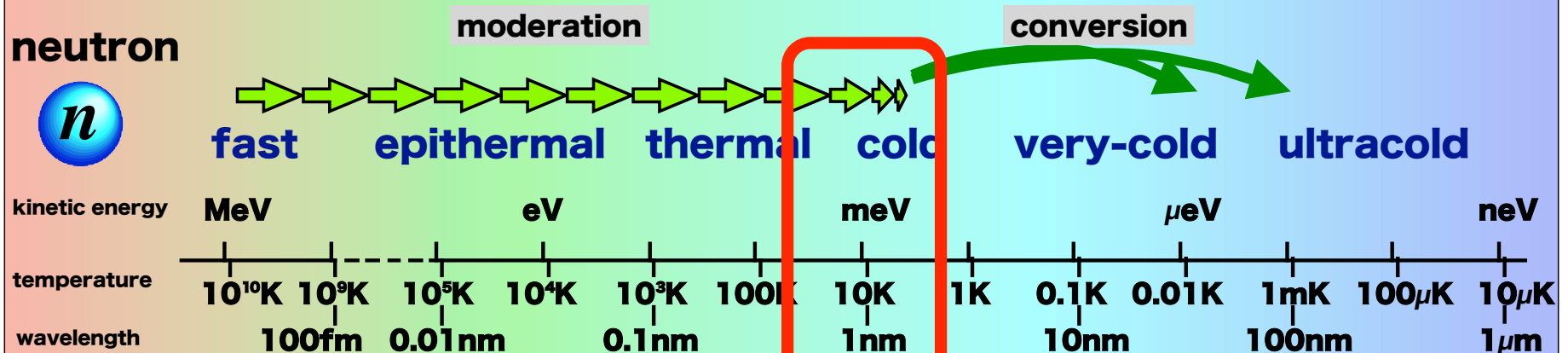


n



suitable for precision measurement

neutron



Neutron

Ni 244neV

Strong Interaction

$I(J^P) = \frac{1}{2}(\frac{1}{2}^+)$ (ref. PDG2008)

mass
 $m = 939.565360 \pm 0.000081$ MeV

mean life
 $\tau = 885.7 \pm 0.8$ s

magnetic dipole moment
 $\mu = (-1.91304273 \pm 0.00000045)$

electric dipole moment
 $|d| < 2.9 \times 10^{-26}$ e cm (90%CL)

mean square charge radius
 $\langle r_n^2 \rangle = -0.1161 \pm 0.0022$ fm²

electric polarizability
 $\alpha = (11.6 \pm 1.5) \times 10^{-4}$ fm³

magnetic polarizability
 $\beta = (3.7 \pm 2.0) \times 10^{-4}$ fm³

charge
 $q = (-0.4 \pm 1.1) \times 10^{-21}$ e

mean time for $n\bar{n}$ transition
 $\tau_{n\bar{n}}[\text{free}] > 8.6 \times 10^7$ s (90%CL)

$\tau_{n\bar{n}}[\text{bound}] > 1.3 \times 10^8$ s (90%CL)

mean time for nn' oscillation
 $\tau_{nn'} > 103$ s (95%CL)

decay modes
 $n \rightarrow p e^- \bar{\nu}_e$ 100%

$\lambda = g_A/g_V = -1.2695 \pm 0.0029$

e^- asymmetry parameter
 $A = -0.1173 \pm 0.0013$

$\bar{\nu}_e$ asymmetry parameter
 $B = 0.9807 \pm 0.0030$

proton asymmetry parameter
 $C = -0.2377 \pm 0.0010 \pm 0.0024$

$e^- \bar{\nu}_e$ angular correlation coefficient
 $a = -0.103 \pm 0.004$

phase of g_A relative to g_V
 $\phi_{AV} = (130.65 \pm 0.07)^\circ$

triple correlation coefficient
 $D = (4.2 \pm 0.4) \times 10^{-4}$

$n \rightarrow p e^- \bar{\nu}_e \gamma$ $(3.13 \pm 0.35) \times 10^{-3}$ (35-100keV)

$n \rightarrow p \nu_e \bar{\nu}_e < 8 \times 10^{-27}$ (68%CL)

Weak Interaction

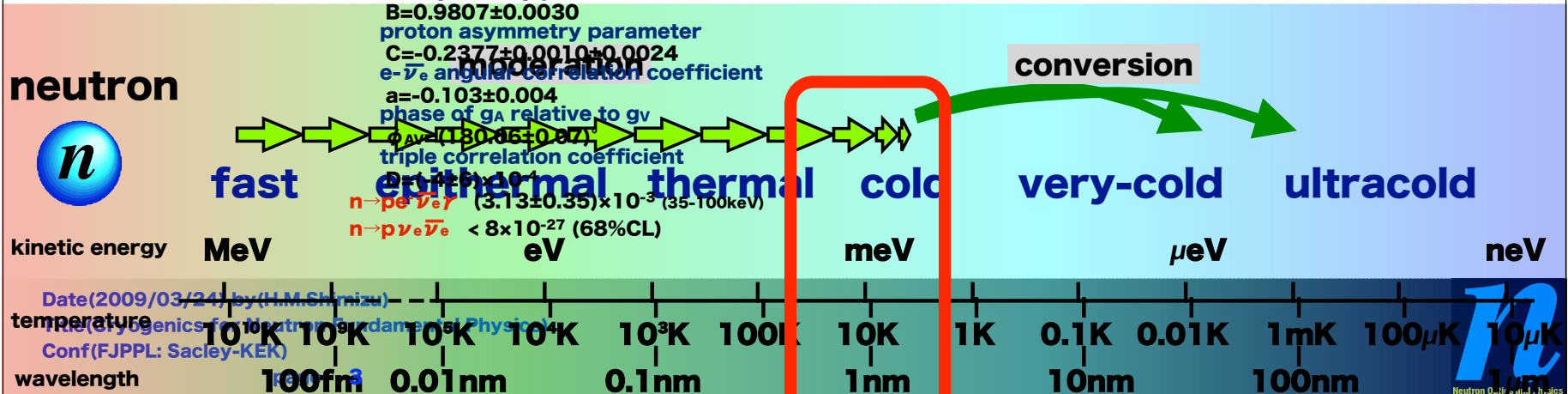
$\tau = 885.7$ s

Electromagnetic Interaction

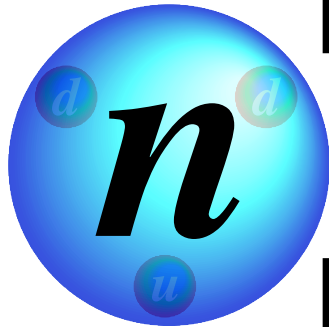
60neV
1T
0neV
-60neV

Gravitational Interaction

103neV
1m
0neV



Neutron



$$I(J^P) = \frac{1}{2} \left(\frac{1}{2}^+ \right) \quad (\text{ref. PDG2008})$$

mass
 $m = 939.56536(4) \pm 0.000081 \text{ MeV}$

mean life
 $\tau = 885.7 \pm 0.8 \text{ s}$

magnetic dipole moment
 $\mu = (-1.91304273 \pm 0.00000045) \mu_N$

electric dipole moment
 $|d| < 2.9 \times 10^{-26} \text{ e cm (90\%CL)}$

mean square charge radius
 $\langle r^2 \rangle = 0.1161 \pm 0.0022 \text{ fm}^2$

electric polarizability
 $\alpha = (11.6 \pm 1.5) \times 10^{-4} \text{ fm}^3$

magnetic polarizability
 $\beta = (3.7 \pm 2.0) \times 10^{-4} \text{ fm}^3$

charge
 $q = (-0.4 \pm 1.1) \times 10^{-21} \text{ e}$
 mean time for $n\bar{n}$ transition
 $\tau_{n\bar{n}}[\text{free}] > 8.6 \times 10^7 \text{ s (90\%CL)}$
 $\tau_{n\bar{n}}[\text{bound}] > 1.3 \times 10^8 \text{ s (90\%CL)}$
 mean time for nn' oscillation
 $\tau_{nn'} > 103 \text{ s (95\%CL)}$

decay modes

$n \rightarrow pe\bar{\nu}_e$ 100%
 $\lambda = g_A/g_V = -1.2695 \pm 0.0029$
 e^- asymmetry parameter
 $A = -0.1173 \pm 0.0013$
 $\bar{\nu}_e$ asymmetry parameter
 $B = 0.9807 \pm 0.0030$
 proton asymmetry parameter
 $C = -0.2377 \pm 0.0010 \pm 0.0024$
 $e-\bar{\nu}_e$ angular correlation coefficient
 $a = -0.103 \pm 0.004$
 phase of g_A relative to g_V
 $\phi_{AV} = (180.06 \pm 0.07)^\circ$
 triple correlation coefficient
 $D = (-4 \pm 6) \times 10^{-4}$

$n \rightarrow pe\bar{\nu}_e\gamma$ $(3.13 \pm 0.33) \times 10^{-4}$ (35-100keV)
 $n \rightarrow p\nu_e\bar{\nu}_e < 8 \times 10^{-27}$ (68\%CL)

CKM matrix

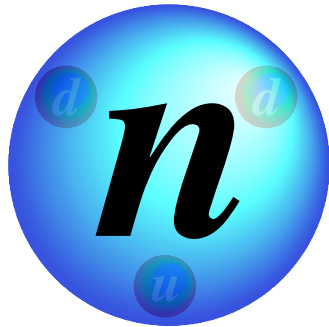
$$\begin{pmatrix} d' \\ s' \\ b' \end{pmatrix} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \begin{pmatrix} d \\ s \\ b \end{pmatrix}$$

$$\lambda = g_A/g_V$$

T-violation in a static system

medium range force search

Neutron



CKM matrix

$$\begin{pmatrix} d' \\ s' \\ b' \end{pmatrix} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \begin{pmatrix} d \\ s \\ b \end{pmatrix}$$

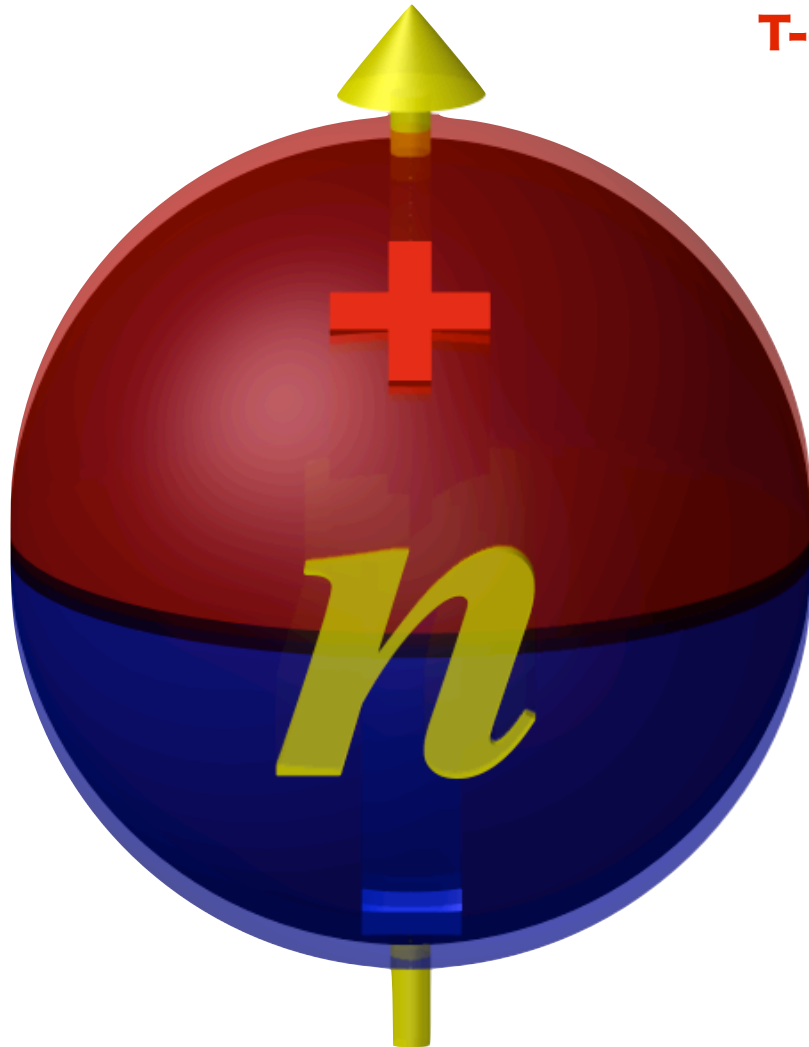
search for footprints of
 $\lambda = g_A/g_V$
higher energy phenomena
in quantum loops

**T-violation in a
static system**

**medium range
force search**

Neutron Electric Dipole Moment

T-odd observable in a static system
→ T-violation



$$\hbar\omega = -2\vec{\mu}_n \cdot \vec{B} - 2\vec{d}_n \cdot \vec{E}$$

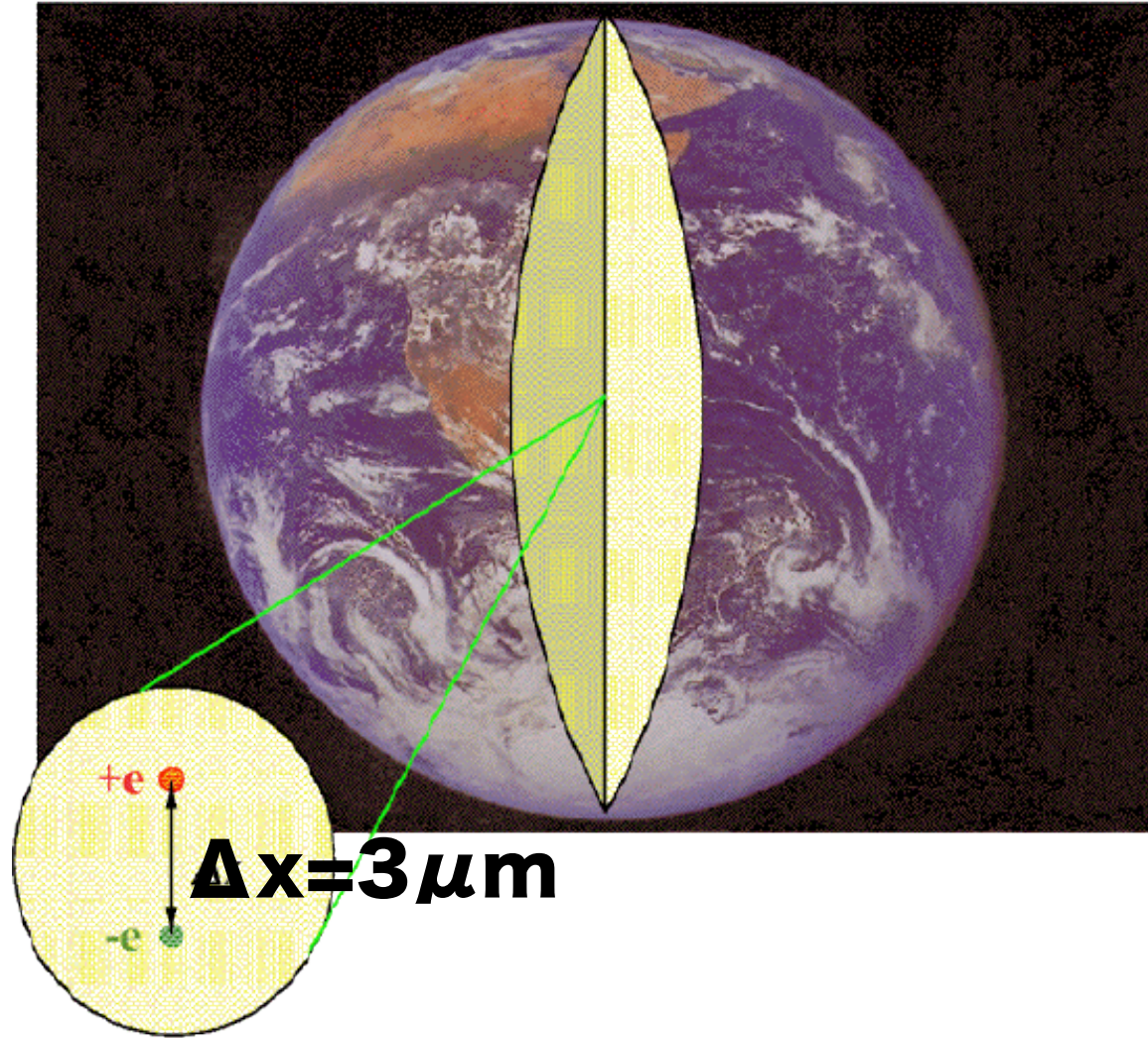
P-odd T-odd

$$|d_n| < 2.9 \times 10^{-26} \text{ e cm (90\%CL)}$$

Baker et al., PRL97 (2006)131801

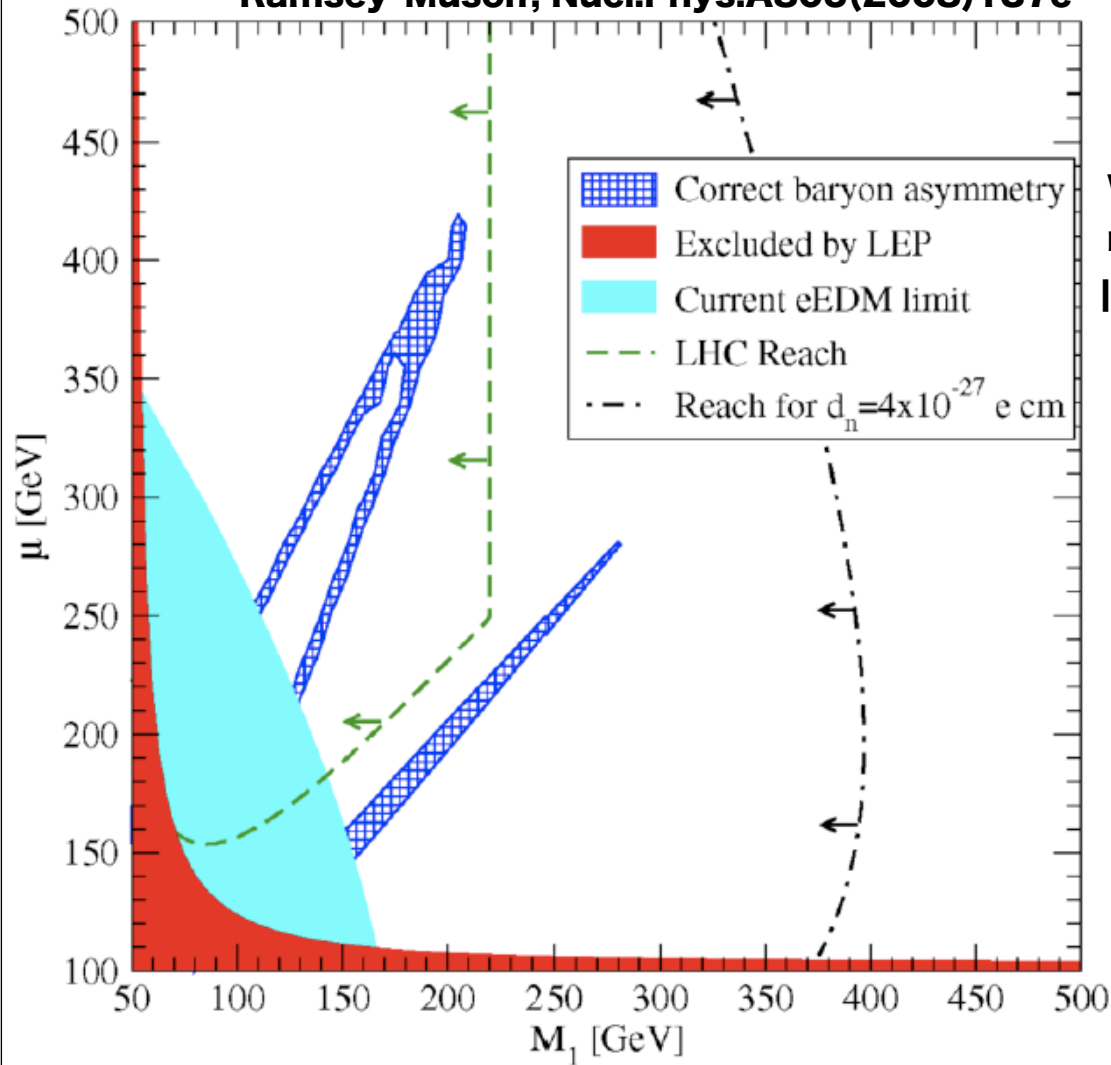
$$|d_n| < 2.9 \times 10^{-26} \text{ e cm (90\%CL)}$$

The moment corresponds to 3 μ m difference of charge centers in the earth.



Neutron Electric Dipole Moment

Ramsey-Musolf, Nucl.Phys.A805(2008)137c



$M_2=2M_1, M_A=1\text{TeV}, |\sin\phi_\mu|=0.5$

WMAP BAU

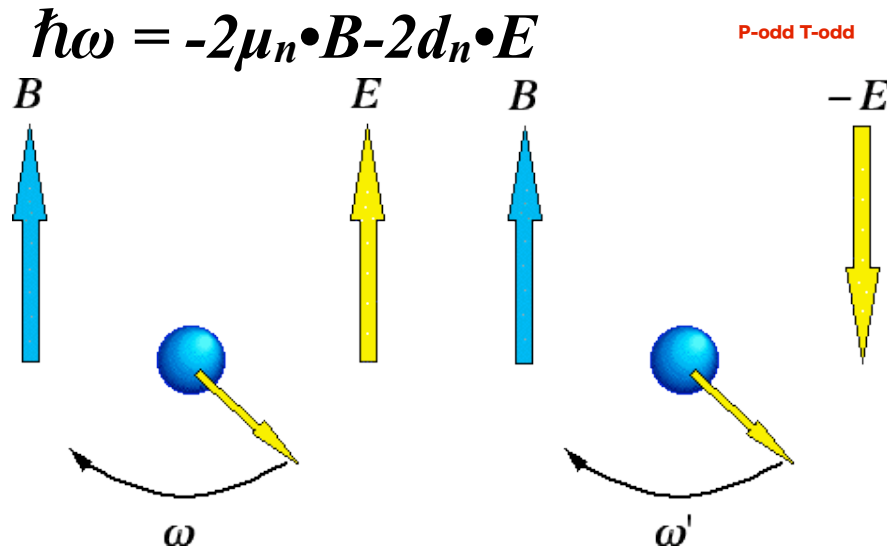
$m_{\chi^+} < 103.5\text{GeV}$

$|d_e| < 1.9 \times 10^{-27} \text{ e cm}$

**stringent
restriction**

Neutron Electric Dipole Moment

$$|d_n| < 2.9 \times 10^{-26} \text{ e cm (90\%CL)}$$



$$\hbar\omega = -2\mu_n \cdot B - 2d_n \cdot E$$

$$\omega \neq \omega' \Leftrightarrow d_n \neq 0$$

$$\phi = 2(E \cdot d_n)t/\hbar$$

sensitivity

$$\sigma_D = \frac{(\hbar/2)}{\alpha E t N^{1/2}}$$

UCN can be stored in material bottle → remarkable increase of interaction time t

UCN

ultracold neutron

$$E \sim 10^4 \text{ V cm}^{-1}$$

$$t \sim 10^3 \text{ s}$$

$$Et \sim 10^7 \text{ V s cm}^{-1}$$

$$Et \sim 10^6 \text{ V s cm}^{-1}$$

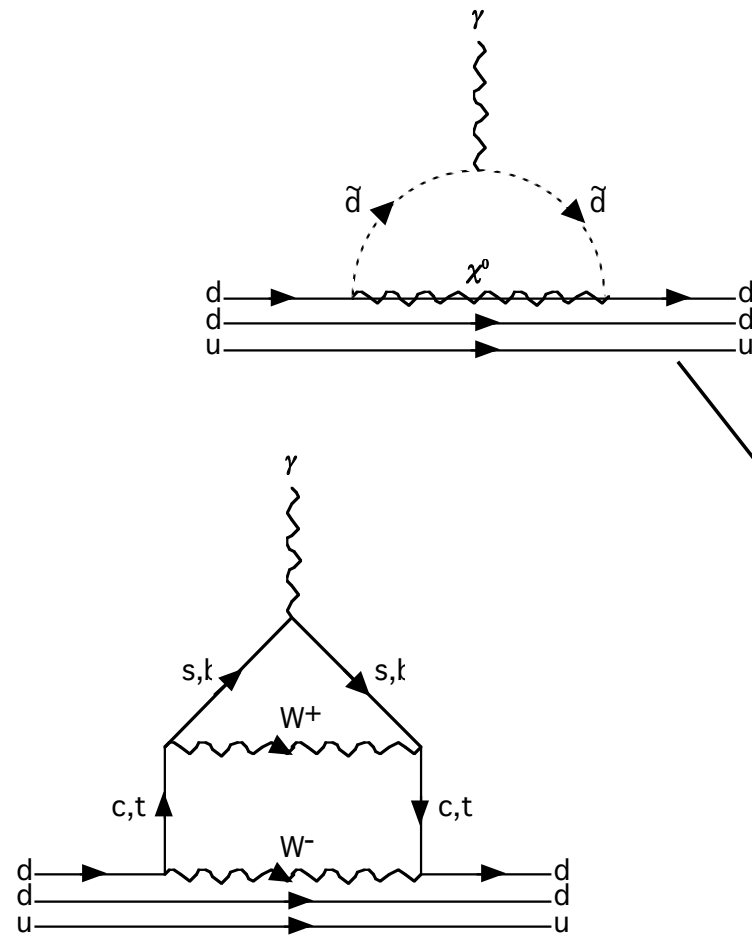
energy sensitivity

$$2d_n E = 6 \times 10^{-22} \text{ eV}$$

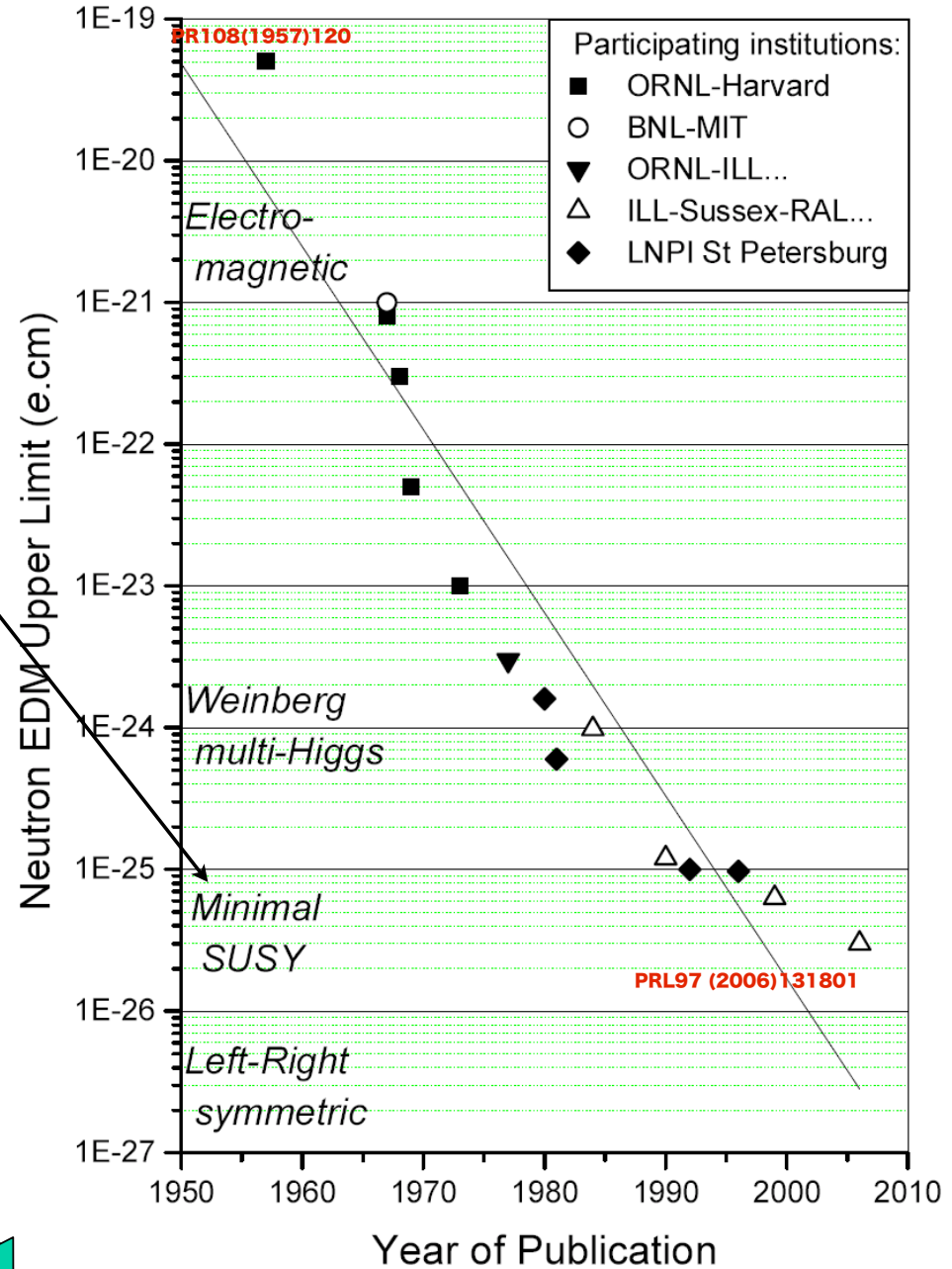
discovery potential

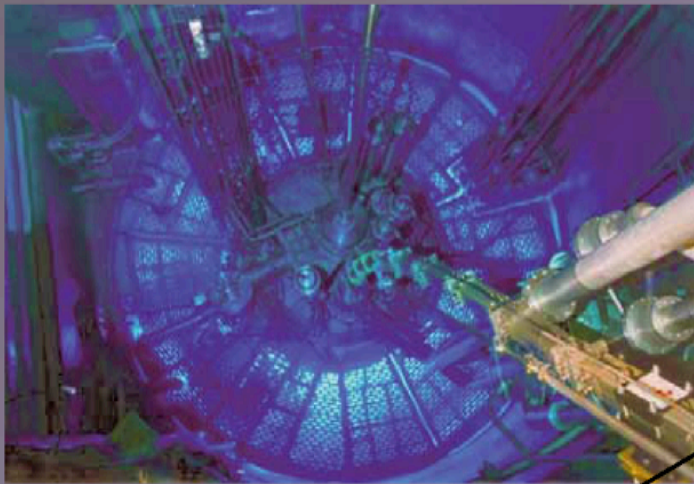
Electric Dipole Moment

$$d_n \sim 10^{-27} \text{ e cm} \leftarrow (10^{-26} \text{ e cm})$$



Standard Model $\sim 10^{-32}$





ILL
NEUTRONS
FOR SCIENCE

Generating Ultracold Neutrons (UCN)

"Steyerl turbine"
Doppler shifting device

Steyerl turbine at FRM-I (Munich)

Steyerl turbine (2nd generation) at PF2 / ILL 10 years later

Very cold neutrons

Ultracold neutrons

Labels in diagram: Slides, Turbine wheel, p = 10⁻³ mbar, VCN exit port, Scanning guide and detector, a = UCN exit ports, 0.46m.

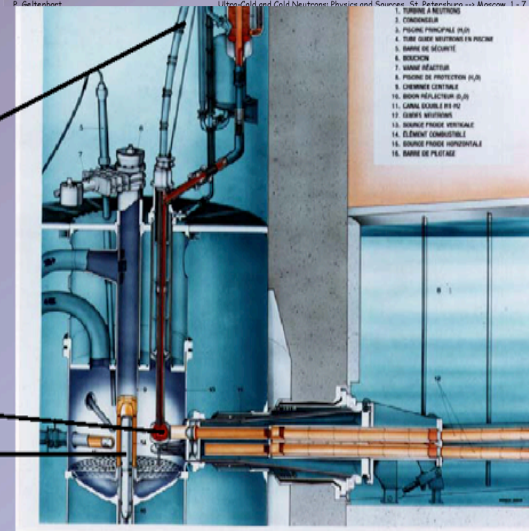
Ultra-Cold and Cold Neutrons: Physics and Sources, St. Petersburg - Moscow, 1 - 7 July 2007

Neutron turbine
A. Steyerl (TUM - 1985)

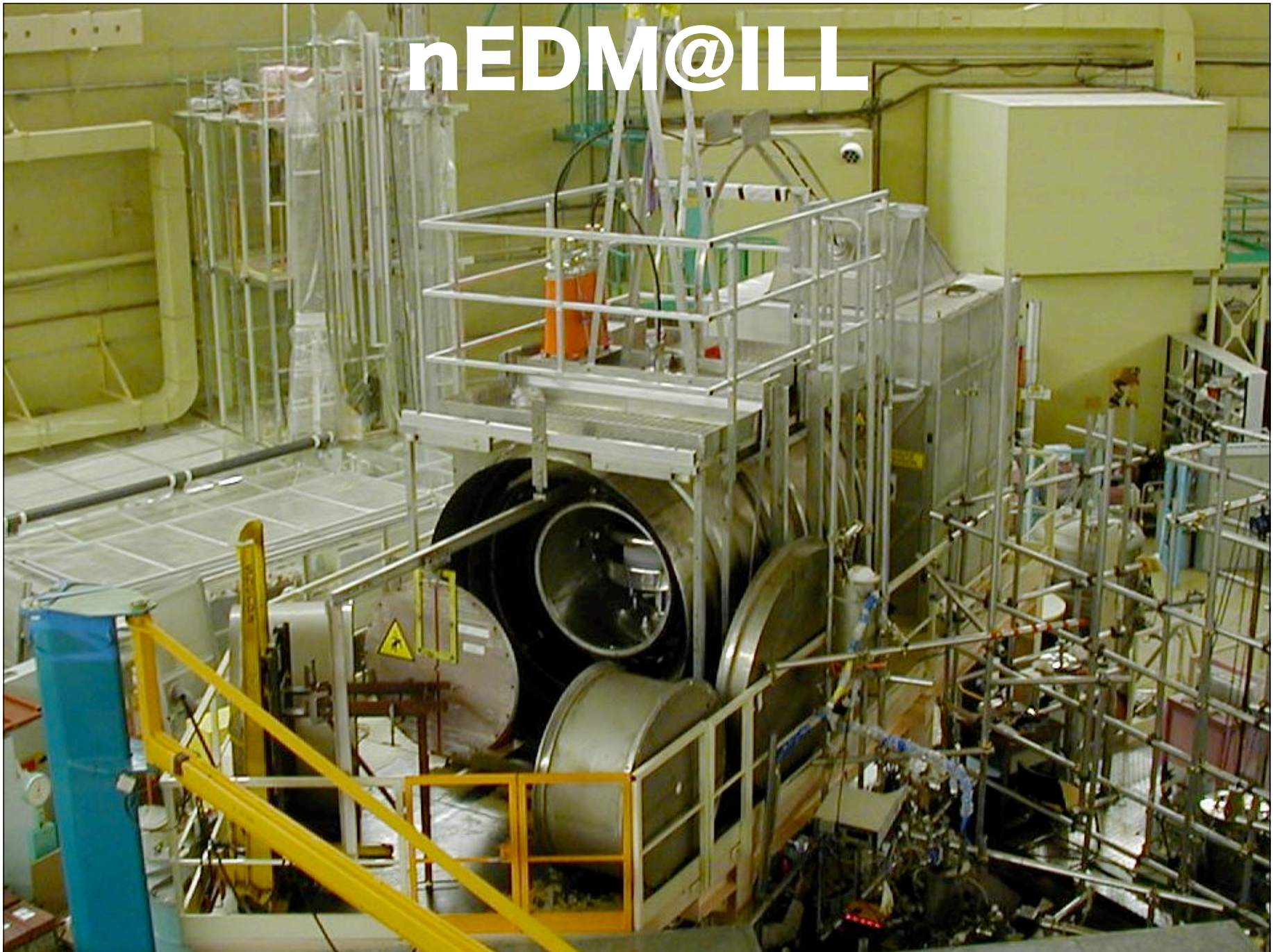
Vertical guide tube

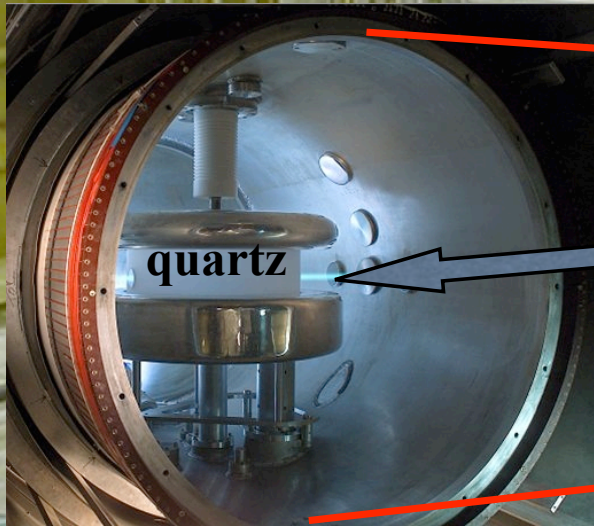
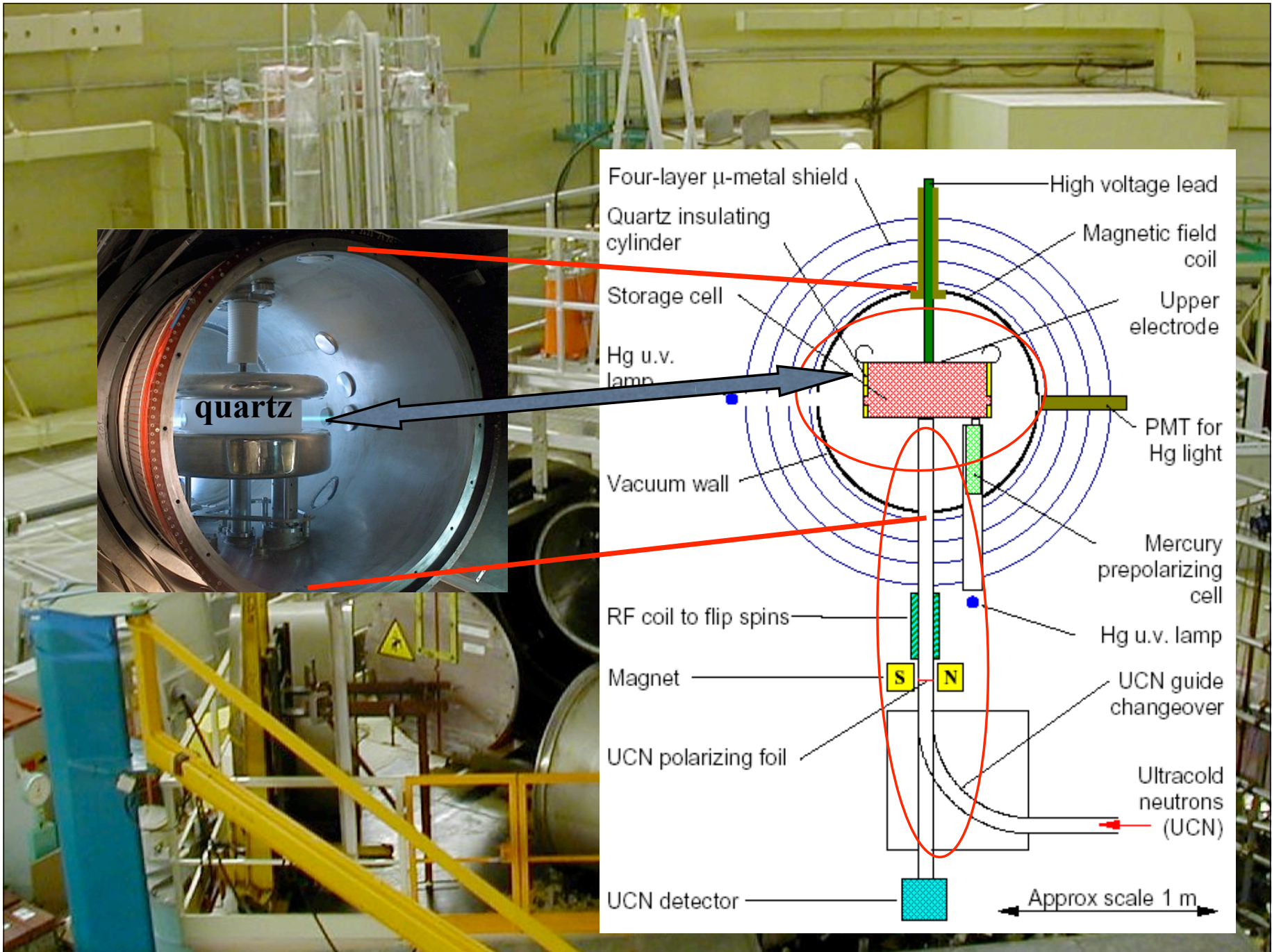
Cold source

Reactor core

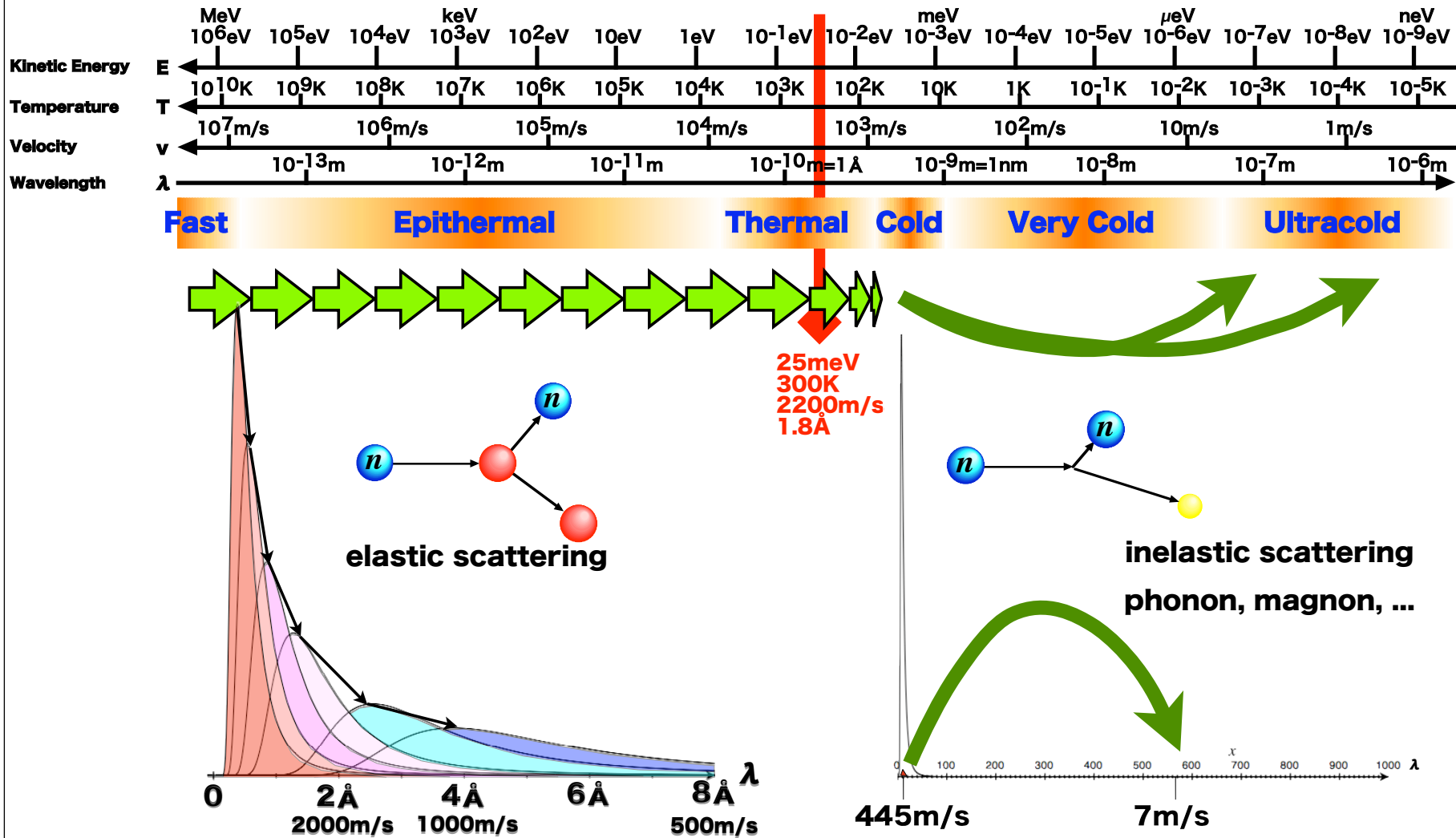


nEDM@ILL





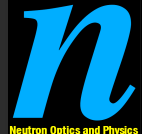
Superthermal Production



PSI-UCN



Date(2009/03/24) by(H.M.Shimizu)
Title(Cryogenics for Neutron Fundamental Physics)
Conf(FJPPL: Saclay-KEK)
page 16



Proton accelerator @ PSI

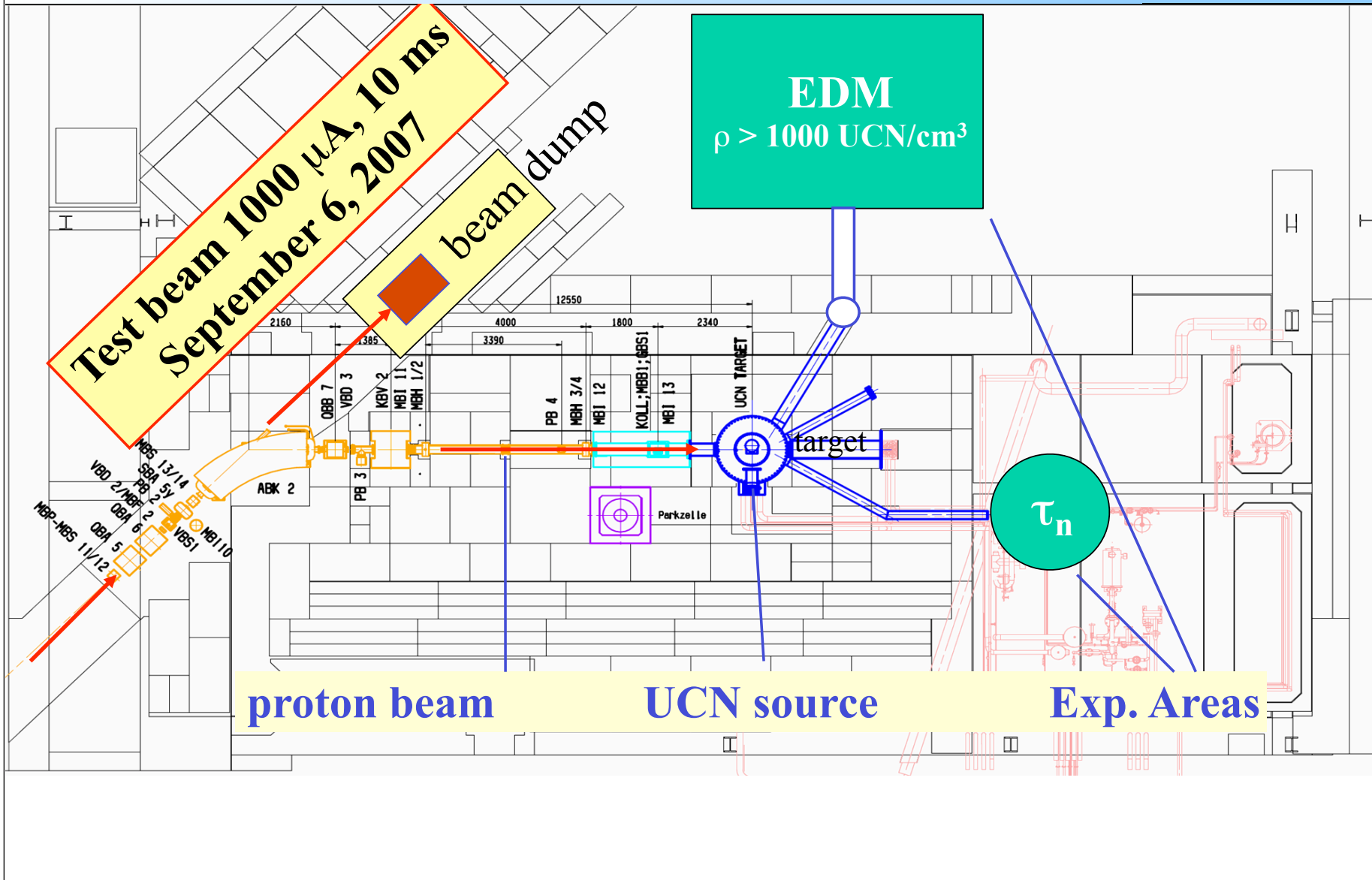


Ring cyclotron: 590MeV,
2mA → total: 1.2 MW

UCN
experiments



Experimental areas



Storage Volume
height = 2.5 m
volume » 1.8 m³
DLC coating
 $\rho_n \sim 2000 \text{ cm}^{-3}$

$v_n = 0 - 7 \text{ m/s}$

general working principle

neutron guide development

- large V_F
- highly specular

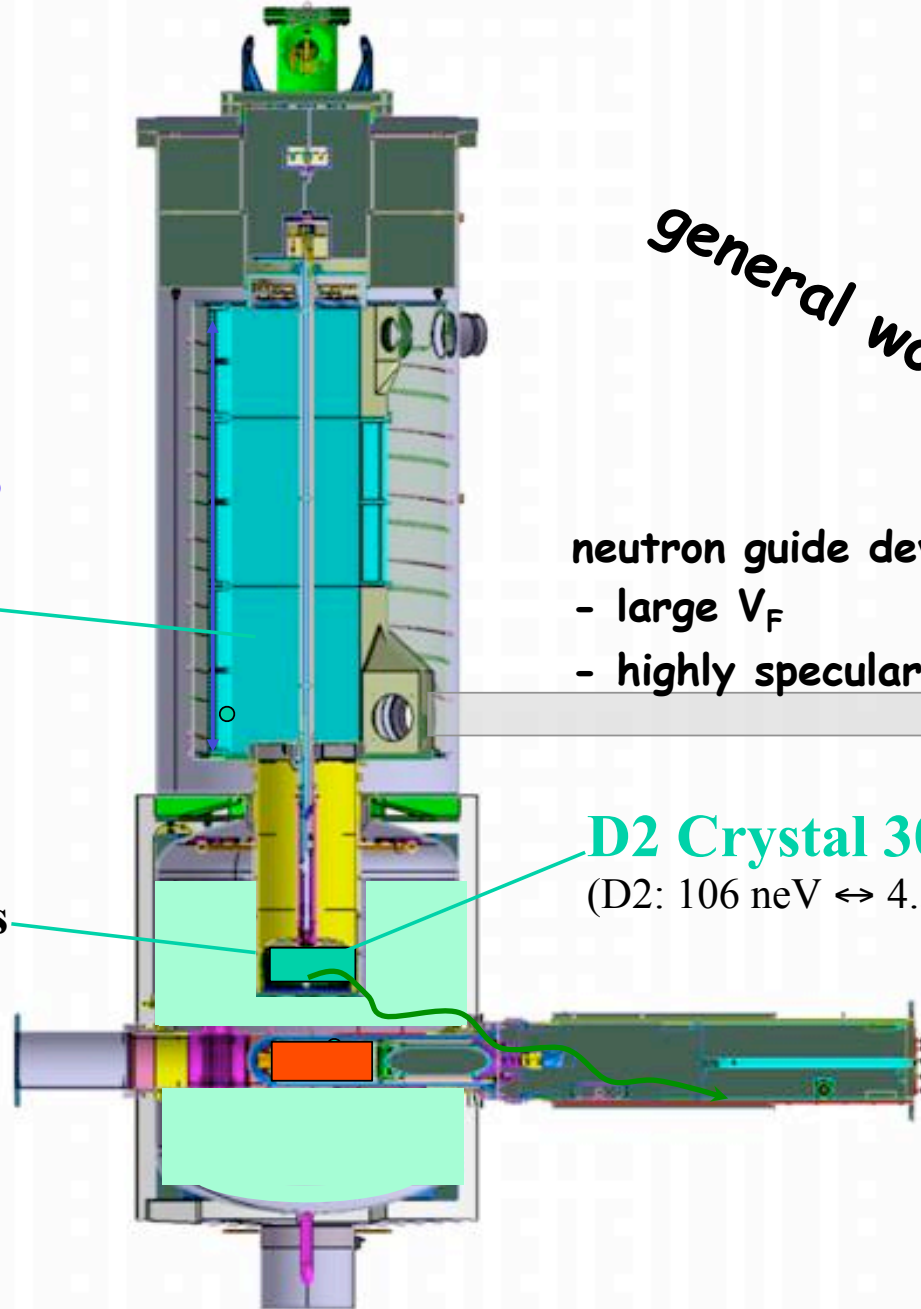
$\rho_n \sim 1000 \text{ cm}^{-3}$

D2 Crystal 30 dm³ at 5K

(D2: 106 neV \leftrightarrow 4.5 m/s)

$v_n = 5 - 9 \text{ m/s}$

$\rho_n \sim 5000 \text{ cm}^{-3}$



PSI experiment: F.Atchison et al., PRC **71**, 054601 (2005).

$$R_{\text{solid,8K}} = (1.11 \pm 0.23) \times 10^{-8} \text{ cm}^{-1} \text{ (UCN production x-section @ 5K)}$$

in agreement with Z.-Ch. Yu et al., ZPB62(1986)137

Estimate for PSI UCN source:

$$- \Phi_{\text{CN}} \sim 2 \times 10^{13} \text{ cm}^{-2} \text{ s}^{-1} \text{ mA}^{-1}$$

$$- \tau_{\text{UCN}} \sim 30 \text{ ms}$$

- 50% of equilibrium density after 4s proton pulse

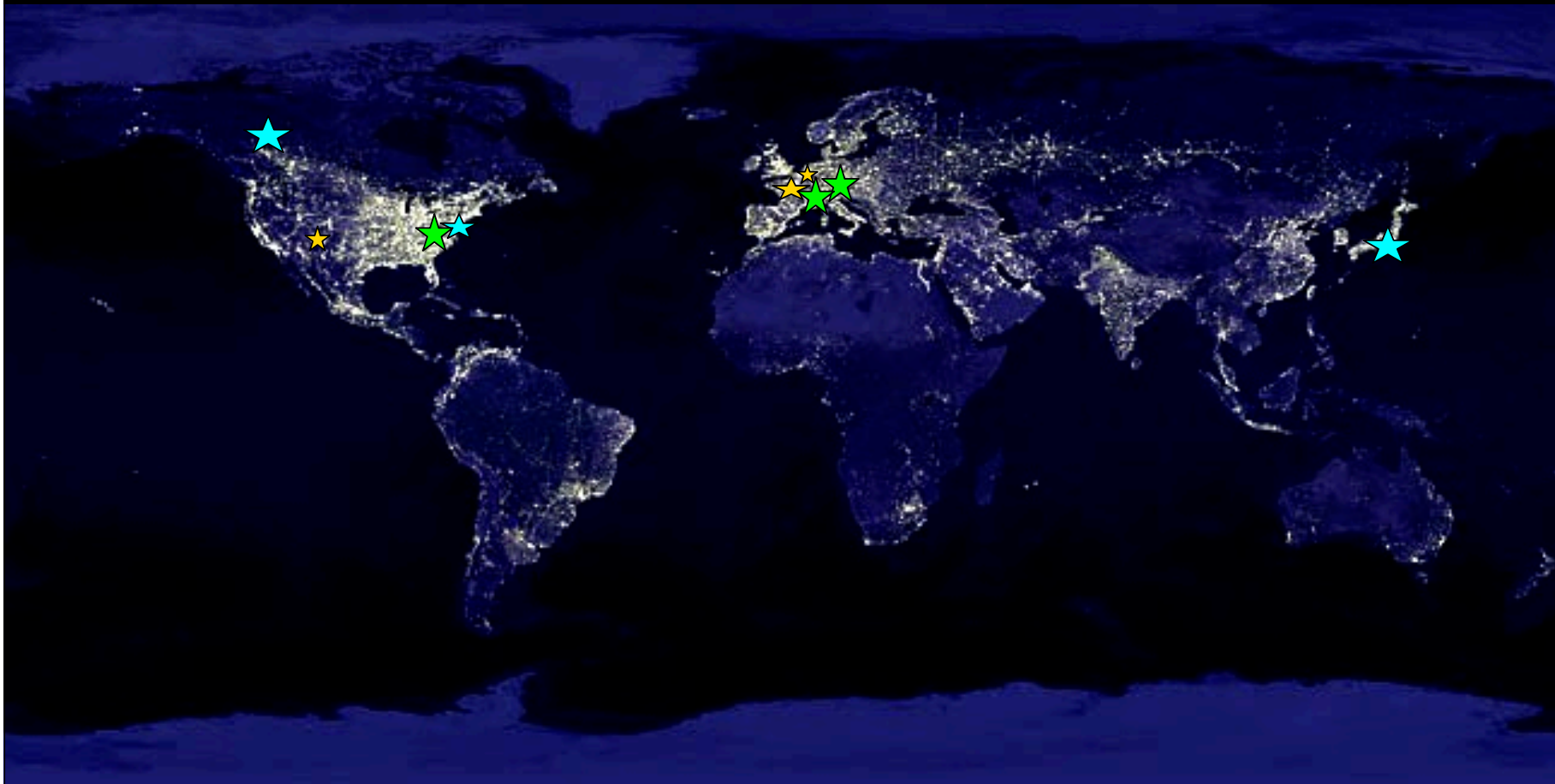
$$\rho_{\text{UCN}} = R_{\text{solid,8K}} \times \Phi_{\text{CN}} \times \tau_{\text{UCN}} \times 0.5 \approx 5000 \text{ cm}^{-3}$$

2000 cm⁻³ in storage,

1000cm⁻³ in experiments

ILL: $\rho(\text{UCN}) = 10 \text{ UCN cm}^{-3}$

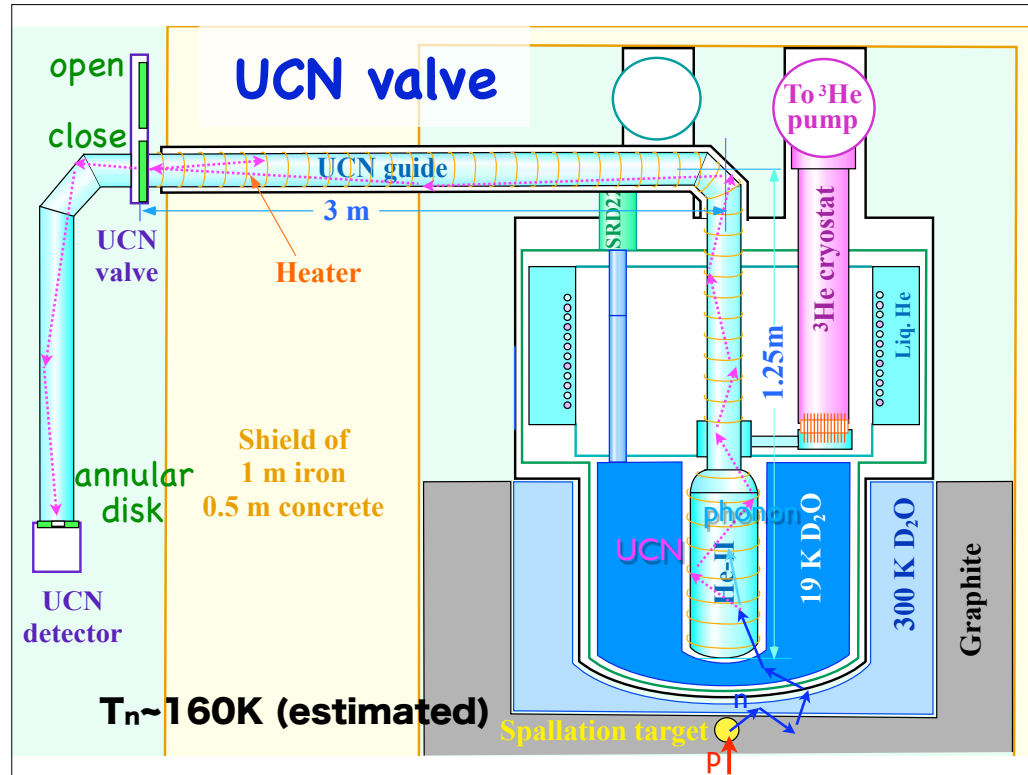
UCN Facilities



- existing UCN facilities - ILL / LANL / Mainz $I \sim 10^1$
- UCN facilities in construction - PSI / SNS / TUM $I \sim >10^3$
- UCN facilities planned - J-PARC / TRIUMF / NCSU

RCNP-UCN

400W (400MeV×1μA、3.4×10¹³ n s⁻¹) Y.Masuda



K.Mishima et al., Proc. ICANS-XV (2000)

UCN Production (T _n =30K)	14 cm ⁻³ s ⁻¹
Neutron Flux at He-II Bottle	1.5×10 ¹⁰ cm ⁻² s ⁻¹
He-II Volume	1.1×10 ⁴ cm ³
Heat Deposit at He-II Bottle	75mW

storage time = 20 s
ρ_{UCN} = 10 cm⁻³ s⁻¹



production rate : P = 0.5 cm⁻³ s⁻¹

Superthermal Converters

$$\rho_{UCN} = P \tau (1 - e^{-t/\tau})$$

C.-Y.Liu, Dissertation, Princeton Univ. (2002)

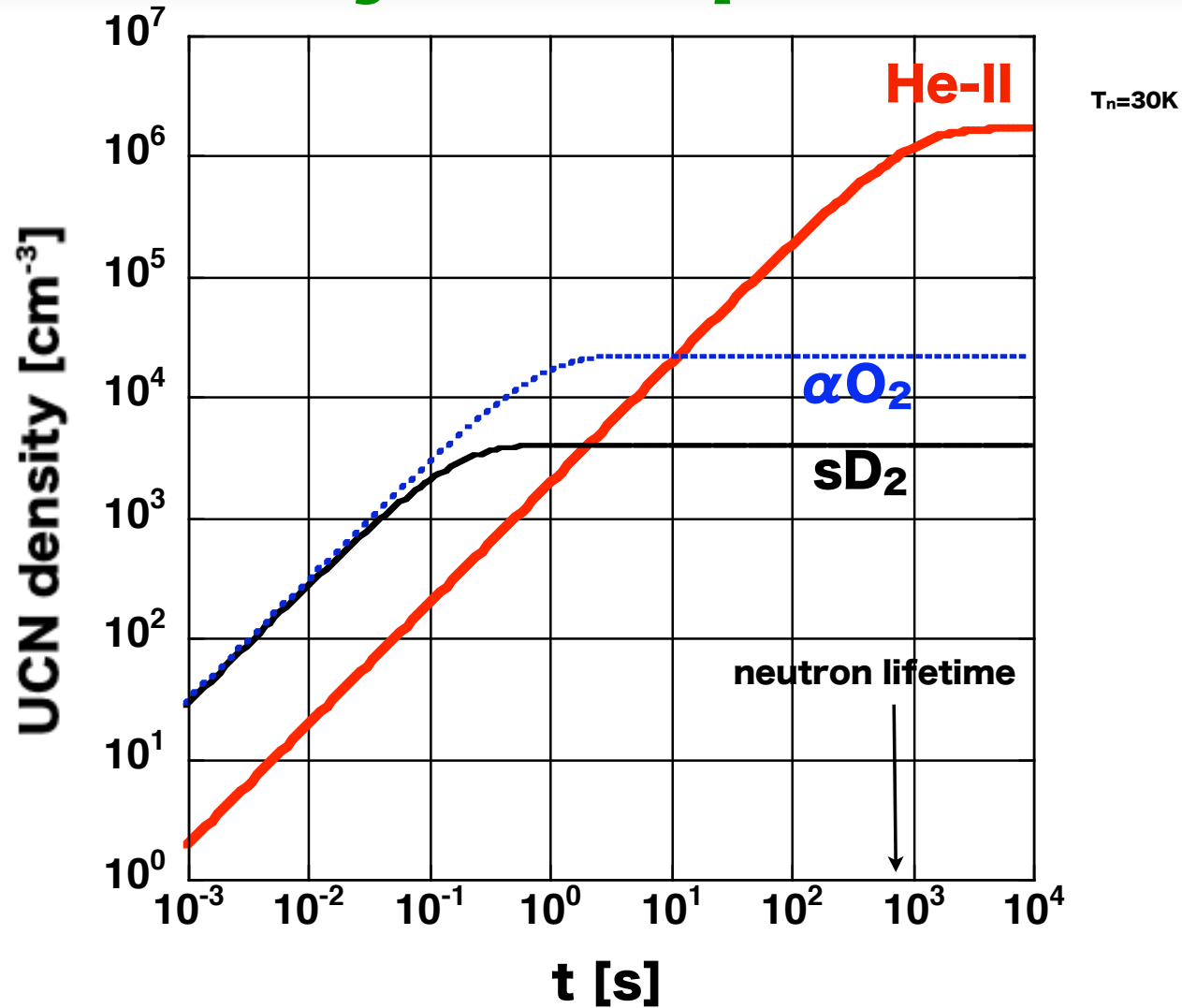
converter	He-II	Solid ortho-D ₂	α -O ₂
interaction	phonon	phonon	magnon
converter temperature	0.7K	5K	2K
optimal neutron temperature	9K	29K	12K
production rate (30K neutrons)	$9.3 \times 10^{-10} \Phi_0 \text{ cm}^{-3} \text{ s}^{-1}$	$1.3 \times 10^{-8} \Phi_0 \text{ cm}^{-3} \text{ s}^{-1}$	$1.4 \times 10^{-8} \Phi_0 \text{ cm}^{-3} \text{ s}^{-1}$
ideal lifetime (no wall loss, no upscattering)	886 s	146 ms	750 ms
UCN density with 30K neutrons	$8.2 \times 10^{-7} \Phi_0 \text{ cm}^{-3}$	$1.9 \times 10^{-9} \Phi_0 \text{ cm}^{-3}$	$9.1 \times 10^{-8} \Phi_0 \text{ cm}^{-3}$

$$\rho_{UCN} = 10^{-11} \Phi_0$$

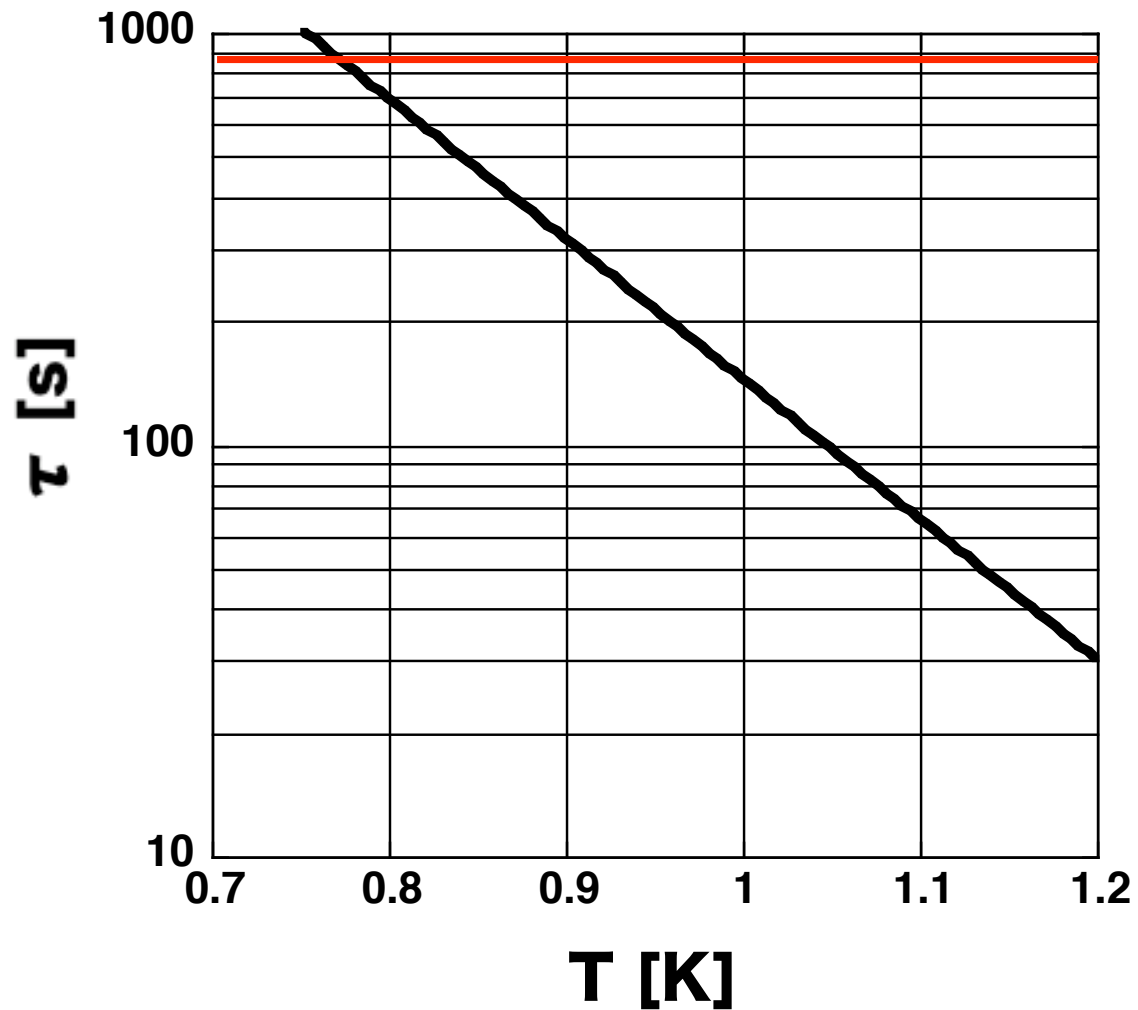
(thermal moderator)



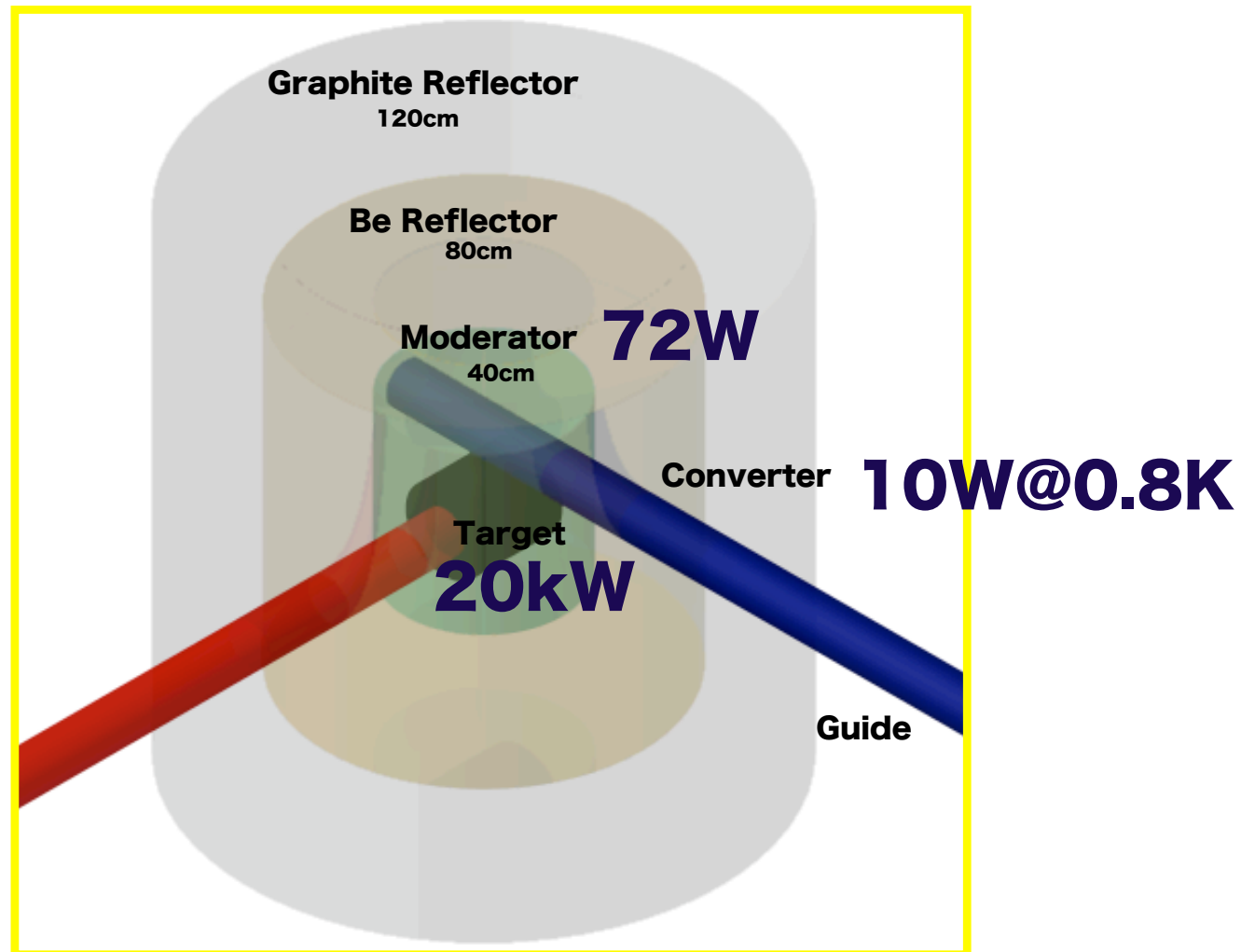
UCN density buildup



UCN loss due to upscattering



Superthermal UCN Source



UCN production @ J-PARC under discussion

Date(2009/03/24) by(H.M.Shimizu)
Title(Cryogenics for Neutron Fundamental Physics)
Conf(FJPPL: Sacle-y-KEK)

page 27

